UNCA CSCI 235
Exam 1 Spring 2018 Answers 6 March 2018

This is a closed book and closed notes exam. Communication with anyone other than the instructor is not allowed during the exam. Furthermore, calculators, cell phones, and any other electronic or communication devices may not be used during this exam. Anyone needing a break during the exam must leave their exam with the instructor. Cell phones or computers may not be used during breaks.

This exam must be turned in before 6:55 PM.
Name: $\qquad$

## Problem 1 ( 30 points) C expressions

In the left column, there are twenty tricky and not-so tricky C expressions. Write their values in the right column. Express your answers in simple base 10 expressions, such as 235 or -235 . You may assume that all of these numbers are stored in 16-bit two's complement representation, the usual short.

| 012 | 10 |
| :---: | :---: |
| 0x64 | 100 |
| $10 \gg 2$ | 2 |
| $10<2$ | 40 |
| 10 / 3*5 | 14 |
| 10 * 3 / 5 | 6 |
| 12 \& 7 | 4 |
| 12 \&\& 7 | 1 |
| 12 \| 7 | 15 |
| 12 \|| 7 | 1 |
| 12 ^ 7 | 11 |
| $12>7$ | 1 |
| ~12 | - 13 |
| ! 12 | 0 |
| 55*66 \&\& 1003/100 | 1 |

Problem 2 ( 16 points) Decimal to two's complement conversion
Convert the following four signed decimal numbers into five-bit two's complement representation. Some of these numbers may be outside the range of representation for five-bit two's complement numbers. Write "out-of-range" for those cases.

| -16 | -19 |
| :---: | :---: |
| 10000 | out-of-range |
| 10 | 63 |
| 01010 | out-of-range |

Problem 3 ( 16 points) Q4.4 to decimal conversion Convert the following four Q4.4 two's complement numbers (four fixed and four fractional bits) into signed decimal representation.

## 00000001

$$
0.625
$$

## 10000000

## 00101010

$$
2.625
$$

## 10101010

$$
-5.375
$$

## Problem 4 ( 12 points) Decimal to Q4.4 conversion

Convert the following three signed decimal numbers into Q4.4 two's complement numbers (four fixed and four fractional bits). If you can't express the number exactly, give the nearest Q4.4 representation.

## $-1.25$ <br> 11101100

0.4

## 00000011

## 5.5

## 01011000

## Problem 5 (4 points) Floating calculations

One of the following C floating-point multiplications results in 1.0 and one does not:
$2 * 0.5$
$5 * 0$
Which is 1.0 ? Give an explanation for your choice.
Because 0.5 is $1 / 2$ or $2^{-1}$, it can be represented exactly as a binary fraction.
0.2 is not a fractional power of 2 and can not be represented exactly in floating point.

PS: The IEEE 754 standard allows multiplication to be off by the least significant bit. Consequently, $5 * 0.2$ can be 1 or maybe something very close to 1 .

## Problem 6 ( 22 points) C Programming

Write a program that reads (use scanf) a bunch of integers from a terminated standard input stream and prints (use printf) a nearly formatted two-line summary of the number of even and odd numbers in the bunch of integers. Your output must have neatly formatted lines as illustrated below.

Number of evens: 1040
Number of odds: 986
The input is totally unformatted and only contains integers, somewhat like these line which contains five odd numbers with the 3 appearing four times:

23520183
$1776-200333$
Here's two lines to get you started:
\#include <stdio.h>
int main(int argc, char *argv[]) \{

```
// declare, initial4
int oddNumber = 0 ;
int evenNumber = 0 ;
int nextNumber ;
// reading number 4
// checking for end-of-file 4
while (scanf("%d", &nextNumber) == 1) {
    // testing if odd
5
    if (nextNumber%2 == 0) {
        ++evenNumber ;
    } else {
        ++oddNumber ;
    }
}
// printing 5
printf("Number of evens: %8d\n", evenNumber) ;
printf("number of odds: %8d\n", oddNumber) ;
```

\}

